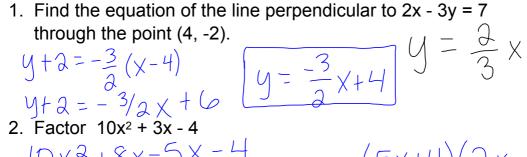
Warm up

1. Find the equation of the line perpendicular to 2x - 3y = 7



 $10x^{2} + 8x - 5x - 4$ 2x(5x+4)-1(5x+4)

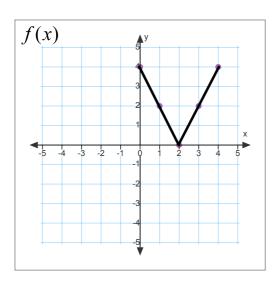
$$(5x+4)(2x-1)$$

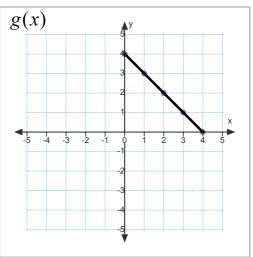
- 3. For $f(x) = -(x+2)^2$ and g(x) = 4x-1a. find $f(2) (4)^2 = -16$ b. $f + g(x) x^2 4x 4 + 4x 1 = -x^2 5$
 - c. f_0 g (x)
 - \sqrt{d} . domain of g_0 f (x)
- 4. Write down what you think of when you hear the word inverse.

 $Y - ((4x-1)+2)^2$ $-(4x+1)^{2}=-16x^{2}-8x-1$

HOMEWORK QUESTIONS

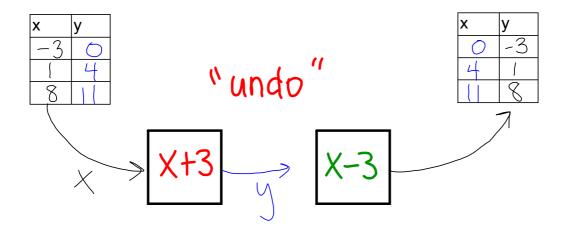






1.6 Inverse Functions finding inverse functions algebraically verify two functions are inverses

Let's look at the function f(x)=x + 3.



The inverse of a function is written $f^{-1}(x)$

What is the relationship between the domain and range of a function and the domain and range of its inverse?

$$f(x)$$
 $f^{-1}(x)$
D: -3, 1, 8 D: 0, 4, 11
R: 0, 4, 11 R: -3, 1, 8

Let's look again at the function f(x)=x + 3. We know from before that the "undo function" is $f^{-1}(x)=x - 3$

Here is why...algebraically

$$f(x)=x+3$$

 $y = x+3$
 $x = y+3$
 $x-3=y$
 $f^{-1}(x)=x-3$

Show that f(x) and g(x) are inverses of each other algebraically.

Method 1: Switch X & y, solve for y

$$f(x) = x^{2} + 1, \quad x \ge 0 \qquad g(x) = \sqrt{x - 1}$$

$$y = x^{2} + 1 \qquad y = \sqrt{x - 1}$$

$$x = y^{2} + 1 \qquad x = \sqrt{y - 1}$$

$$x = \sqrt{y - 1}$$

Show that f(x) and g(x) are inverses of each other algebraically.

Method 2: composition (fog, gof)

$$(\sqrt{\chi-1})^2+1$$

$$\times - 1 + 1$$

$$f(x) = x^2 + 1, \quad x \ge 0$$
 $g(x) = \sqrt{x-1}$

$$\sqrt{(\times_3+1)-1}$$



Show that f(x) and g(x) are inverses of each other algebraically.

Your turn!

$$f(x) = 7x + 4 g(x) = \frac{x - 4}{7}$$

$$y = 7x + 4 y = \frac{x - 4}{7}$$

$$x = 7y + 4 x = y - 4$$

$$x = 4 - 4$$

Find the inverse relation of the given function. Is the inverse a function? Verify the two relations are inverses of each other.

$$f(x) = -4x - 9$$

$$y = -4x - 9$$

$$x = -4y - 9$$

$$x + 9 = -4y$$

$$x + 9 = -4y$$

$$x + 9 = -4y$$

Method 1:

$$\frac{y+9}{-4} = x$$

 $y+9=-4x$
 $y=-4x-9$
Method 2:
 $-4(x+9)-9$
 $x+9-9$

$$f(x) = 3x^3 + 1$$

What about
$$f(x) = 2x^2 - 3$$

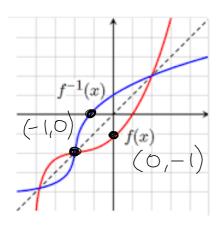
HOMEWORK



p 69 9, 11 (no part b), 15-17, 59, 61

1.6 Inverses Part 2 Determine inverses graphically Graph an inverse relation One-to-one functions

Graph of an inverse



f(x) and $f^{-1}(x)$ are inverses if they are symmetrical over the line y = x

Does every relation have an inverse?

yes!

Is every inverse relation a function?

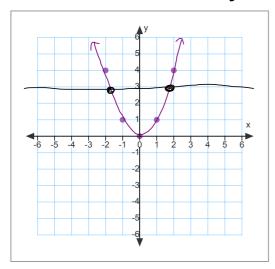
No!

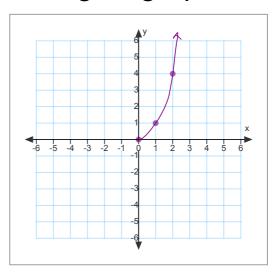
Definition - One-to-one function

A function is said to be one-to-one if its inverse is also a function.

Our last example was not a one-to-one function. Can you make a table of values that would represent a one-to-one function?

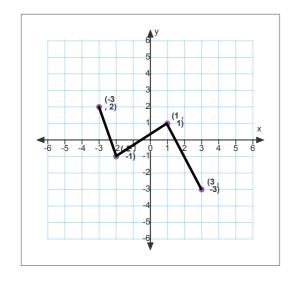
How can we determine if a relation is a one-to-one function by observing its graph?



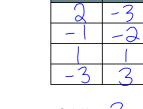


Horizontal Ine Test!

Inverses from graphs (WB p 10)



f(x)	
X	Y
-3	2
-2	-1
1	
3	-3
f(3)= - 3	

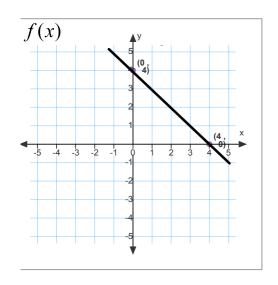


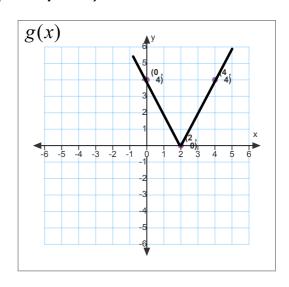
$$f^{-1}(-3) = 3$$

 $f^{-1}(x)$

$$f^{-1}(2) = -3$$

Inverse operations from graphs (WB p 10)





$$f^{-1} \circ f(4)$$

$$f^{-1}(f(4))$$

$$f^{-1}(0)$$

$$= 4$$

$$f^{-1} \circ g(3)$$

$$f^{-1}(g(3))$$

$$f^{-1}(a)$$

$$= 0$$

HOMEWORK



p 69 21-25, 30, 33-39 odd, 47-51 odd, 67, 80-88 even, 93, 97, 99, 101

17.